

6

Load, Switch, and Commutation Considerations

Power switching devices are employed for controlling inductive, resistive or capacitive loads. Inductive loads include transformers, solenoids, and relays. High-current in-rush occurs with loads such as incandescent lamps, pulse-forming networks, snubbers, and motors. Incandescent lamps are essentially resistive, but the cold resistive in-rush current during turn-on is 12 to 18 times the steady-state current. This turn-on surge presents special switch-on problems. Capacitive loads, such as fluorescent lighting, also present high-current in-rush at turn-on.

The interaction of the load circuit on the switch arrangement and its commutation depends on three inter-related factors.

- The type of load, usually inductive.
- Switching mechanism classification, how the load effects switching commutation, namely hard switching, resonant, etc.
- The switch characteristics required to fulfil the supply and load I - V requirements, such as a bidirectional current switch, an asymmetrical sustaining voltage switch, etc.

Each of the three factors and their interdependence with the switching mechanisms are considered separately.

6.1 Load types

The two principal load types of general interest in power electronics are

- the resistive load and
- the inductive load.

Turn-on and turn-off voltage and current switching waveforms, hence losses in a switch, depend on the type of load.

6.1.1 The resistive load

A purely resistive load is rarely encountered in power switching applications. Figure 6.1 shows a simple resistive load being switched by a common emitter-connected IGBT transistor, which could equally be another appropriate semiconductor switch, for example, a MOSFET. When the gate is driven by the voltage waveform shown in figure 6.2a, the resultant collector voltage and current waveforms are as shown in figures 6.2b and 6.2c. These figures show that at turn-on, as the collector current increases, the voltage across the load increases proportionally, as the collector voltage v_{ce} decreases at the same rate. That is, at turn-on, $v_{ce}(t) = V_s - i_c(t)R_L$, while at turn-off the inverse process occurs. Figure 6.2d shows transistor instantaneous power loss during turn-on and turn-off, which in each case has a peak value of $1/4V_sI_m$ when the collector voltage and current reach half their respective maximum values. The energy loss W during switching is given by

$$W = \int v_{ce}(t) i_c(t) dt \quad (J) \quad (6.1)$$

where the integration is performed over the switching transition period.

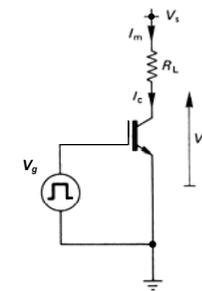


Figure 6.1. A typical IGBT transistor switching circuit incorporating a resistive load.

Figure 6.3 shows the safe operating area (SOA) characteristics for an IGBT, on logarithmic axes. Illustrated are the collector switch-on and switch-off trajectories, which are virtually coincident. In the off-state, point A on figure 6.2b, the transistor supports the supply rail voltage V_s while in the fully on-state, point C on figure 6.2b, the collector current I_m is V_s/R_L , neglecting the low on-state voltage of the transistor. During switching the collector voltage and current traverse the I - V switching trajectory between the steady-state operating conditions V_s/R_L and V_s , as shown in figure 6.3.

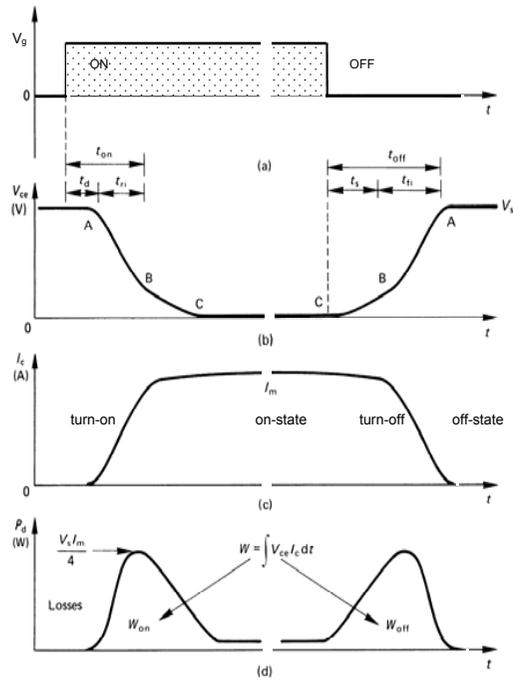


Figure 6.2. Transistor switching waveforms for a resistive load: (a) on-off gate drive voltage; (b) collector-to-emitter voltage; (c) collector and load current waveform; and (d) instantaneous collector-emitter losses.

It is important that this trajectory does not exceed the shown SOA bounds set by the device voltage and current limits, and that the SOA region be traversed rapidly. For slow transitions, greater than a few microseconds, power dissipation considerations become the limiting design factor, which is a thermal limitation.

In order to perform the required thermal design calculations it is necessary to be able to specify device-switching losses. To simplify analysis, the switching waveforms shown in figure 6.2 are linearised as shown in figure 6.4. As indicated on these waveforms, the collector voltage at turn-on is given by $v_{ce}(t) = V_s(1 - t/t_{on})$ while the collector current is $i_c(t) = I_m t/t_{on}$, where $I_m = V_s/R_L$. Combining $v_{ce}(t)$ and $i_c(t)$ by eliminating time t , gives

$$i_c = V_s(1 - v_{ce}/V_s)/R_L \quad (6.2)$$

As shown in figure 6.3, this describes the linear turn-on transition of slope $-1/R_L$ from the on-state voltage with V_s/R_L collector current, shown as C, to the off-state at A where no current flows and the collector supports the supply V_s . Note figure 6.3 uses logarithmic axes, so the transition trajectory does not appear as a straight line.

Using equation (6.1), the switch-on loss for a resistive load is given by

$$W_{on} = \int_0^{t_{on}} V_s(1 - \frac{t}{t_{on}}) I_m \frac{t}{t_{on}} dt \quad (6.3)$$

$$= \frac{1}{6} I_m V_s t_{on} \quad \text{or} \quad \frac{1}{6} \frac{V_s^2}{R_L} t_{on} \quad (J)$$

where $I_m = V_s/R_L$ and t_{on} is the period of the switch-on interval, as shown in figure 6.4.

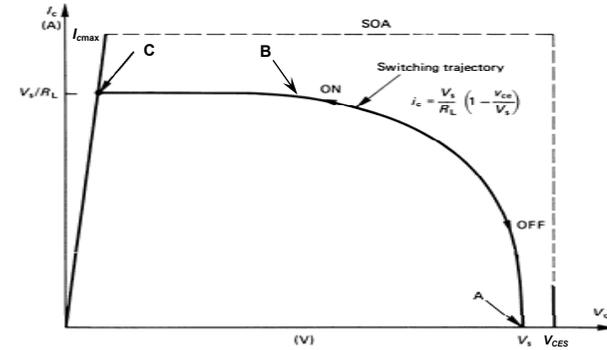


Figure 6.3. Transistor I-V characteristics showing safe operating area and the switching trajectory with a resistive load, on logarithmic axes.

Similarly, using the time dependant collector voltage and current equations shown on figure 6.4a, the turn-off switching loss is given by

$$W_{off}^r = \int_0^{t_{off}} V_s \frac{t}{t_{off}} I_m (1 - \frac{t}{t_{off}}) dt \tag{6.4}$$

$$= \frac{1}{6} I_m V_s t_{off} \quad \text{or} \quad \frac{1}{6} \frac{V_s^2}{R_L} t_{off} \tag{J}$$

where t_{off} is the turn-off period as shown in figure 6.4.

The average power loss due to switching, which is required for the thermal design outlined in chapter 5, is obtained by multiplying energy loss W by the switching frequency f_s . That is, the turn-on switching loss is given by

$$P_{on} = \frac{1}{6} I_m V_s t_{on} f_s \tag{W} \tag{6.5}$$

while the turn-off loss is given by

$$P_{off} = \frac{1}{6} I_m V_s t_{off} f_s \tag{W} \tag{6.6}$$

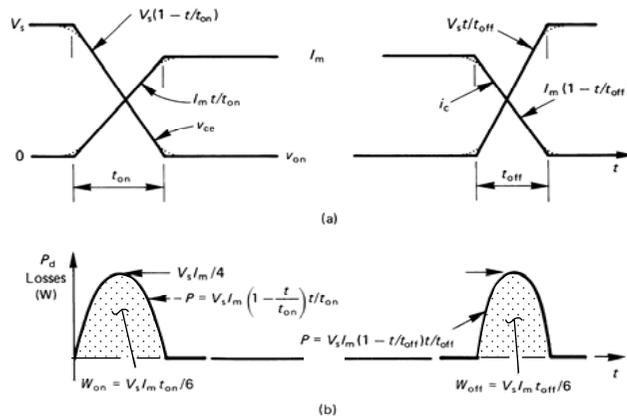


Figure 6.4. Linear approximations of switching intervals for a purely resistive load: (a) collector voltage and current linear waveforms and (b) corresponding energy and power losses.

Because of IGBT current tailing and voltage overshoot at turn-off, the practical switching losses will be larger than those given by the linear approximating methods outlined.

Example 6.1: Resistive load switching losses

An IGBT switches a 10 ohms resistive load across a 100V dc supply. If the switch on-state duty cycle is 25%, ($\delta=1/4$), calculate the average load voltage and current. Calculate the switch losses if the switch on time is $t_{on}=1\mu s$, switch off time is $t_{off}=2\mu s$, and the on-state voltage is 2V.

Solution

When the switch is on, the current in the resistor is $I_L=V_s/R = 100V/10\Omega = 10A$. The average load voltage is

$$V_o = \delta V_s = 0.25 \times 100V = 25V$$

The average load current is

$$\bar{I}_o = V_o / R = 25V/10\Omega = 2.5A$$

The total switch losses P_T are made up of three components.

$$P_T = \text{on-state loss} + \text{loss at switch-on} + \text{loss at switch-off}$$

$$P_T = \delta \times v_{ce} \times I_L + \frac{1}{6} V_s I_L t_{on} f_s + \frac{1}{6} V_s I_L t_{off} f_s$$

$$= 0.25 \times 2V \times 10A + \frac{1}{6} \times 100V \times 10A \times 1\mu s \times 10kHz + \frac{1}{6} \times 100V \times 10A \times 2\mu s \times 10kHz$$

$$= 5W + \frac{5}{3}W + \frac{10}{3}W = 10W$$

Since the off-state leakage current and gate power losses are not specified, it is assumed these are insignificant. Technically the load current should be calculated based on 98V across the load since the switch supports 2V. Also the switching loss calculations should use a voltage of 98V, rather than 100V and a load current of 9.8A rather than 10A. The percentage error is small, and becomes insignificant at higher voltages.



Example 6.2: Transistor switching loss for non-linear electrical transitions

Assume the transistor collector current at turn-off falls according to

$$i_c = \frac{1}{2} I_m (1 + \cos \pi t / T_0) \quad \text{for } 0 \leq t \leq T_0 \tag{6.7}$$

- i. For a resistive load, R_L , calculate transistor loss at turn-off.
- ii. Show that the switching trajectory across the SOA is as for the linear current fall case, as given by equation (6.2) and shown in figure 6.3.
- iii. Calculate the peak power dissipation and the time when it occurs.

Solution

i. The collector voltage for a resistive load, on a dc supply V_s , is given by

$$v_{ce}(t) = V_s - i_c(t)R_L \\ = V_s - \frac{1}{2}I_m(1 + \cos \pi t / T_0)R_L$$

and since $V_s = I_m R_L$

$$v_{ce}(t) = \frac{1}{2}V_s(1 - \cos \pi t / T_0)$$

The turn-off energy loss is given by

$$W_{off} = \int_0^{T_0} p(t) dt = \int_0^{T_0} i_c(t)v_{ce}(t) dt \\ = \int_0^{T_0} \frac{1}{2}I_m(1 + \cos \pi t / T_0) \times \frac{1}{2}V_s(1 - \cos \pi t / T_0) dt \\ = \frac{1}{8}V_s I_m T_0$$

ii. Combining $v_{ce}(t)$ and $i_c(t)$ so as to eliminate the time variable, yields

$$i_c = \frac{V_s}{R_L} \left(1 - \frac{v_{ce}}{V_s}\right)$$

which is the same straight line expression as in equation (6.2) and shown in figure 6.3, for the linear transition case.

iii. Instantaneous power dissipation is given by

$$P = v_{ce}i_c = v_{ce} \frac{V_s}{R_L} \left(1 - \frac{v_{ce}}{V_s}\right)$$

Peak power \hat{P} occurs when $dP/dv_{ce} = 0$, that is, when $v_{ce} = \frac{1}{2}V_s$, whence on substitution into the power expression P , yields

$$\hat{P} = \frac{1}{4}V_s^2 / R_L = \frac{1}{4}V_s I_m \quad \text{at } t = \frac{1}{2}T_0$$

Turn-on loss can be similarly analysed to yield virtually identical expressions, as is required in problem 6.4.

6.1.2 The inductive load

The voltage spikes generated by inductive loads at turn-off may have high energy content, and the power generated may cause excessive device temperature, voltage stressing, and device failure.

At turn-off, the switch decreases the inductive load current from I_m to zero at a high di/dt and the resultant voltage spike is given by

$$v(t) = L \frac{di}{dt} \quad (V)$$

where L is the load inductance. The spike energy to be absorbed by the switch is given by

$$W = \frac{1}{2}LI_m^2 \quad (J)$$

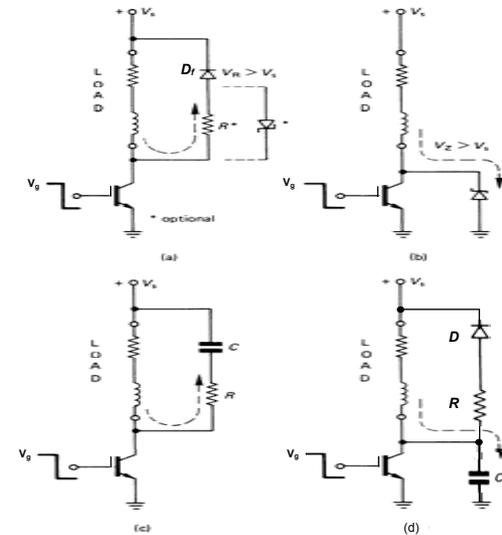


Figure 6.5. Four methods of limiting inductive load turn-off voltage spike and of absorbing the associated energy: (a) freewheel clamping diode; (b) Zener diode clamp; (c) R-C snubber circuit; and (d) capacitor soft clamp.

Both the voltage spike and its associated energy may be well outside the capabilities of the switching device. The peak voltage induced must be limited to a value below the breakdown rating of the device. Four commonly employed voltage limiting techniques are shown in figure 6.5.

The freewheel diode D_f in figure 6.5a is used to clamp the maximum device voltage to the supply rail voltage. The stored load energy is dissipated after turn-off as a result of the current that flows in the diode and load. The low impedance of the diode causes the current to decay slowly, since the inductor stored energy can only dissipate slowly in the freewheeling loop resistive components. A shorter current decay time can be achieved if series loop resistance R is added, as shown in figure 6.5a. Now the peak off-state voltage experienced by the switch is increased from V_s in the case of the diode, to $V_s + I_m R$ because of the initial voltage drop across the optionally added resistor. This extra voltage drop, $I_m R$, decreases exponentially to zero. The resistor in figure 6.5a can be replaced by a Zener diode, thereby clamping the switch voltage to $V_s + V_Z$. The load now freewheels at a fixed voltage V_Z thereby improving the rate of current decay, which is now constant. The inductive load current will fall linearly to zero in a time given by

$$t = LI_m / V_Z \quad (\text{s})$$

An alternative Zener diode clamping circuit, as shown in figure 6.5b, can be employed in low power applications. The Zener breakdown voltage V_Z is selected between the rail voltage V_s , and the switch breakdown voltage ($V_s < V_Z < V_{BR}$). At turn-off, the Zener diode clamps the switch voltage to a safe level V_Z and absorbs the stored inductive load energy. The higher the clamping voltage level, the faster the energy is dissipated. The inductive load current decays linearly to zero in a time given by

$$t = LI_m / (V_Z - V_s) \quad (\text{s}) \quad (6.8)$$

The two different Zener diode approaches perform the same switch clamping function in the same current decay time, if the voltage experienced by the switch is the same, but with different Zener diode losses. The desirable feature in the case of the Zener diode in parallel to the switch as in figure 6.5b, is that the protection component is directly across the element to be voltage protected. When placed in parallel with the load as in figure 6.5a, the switch is indirectly voltage protected, relying on the supply decoupling being a low inductance path. A reverse blocking diode D_f is needed.

The parallel switch approach in figure 6.5b has a number of disadvantages

- The Zener diode voltage rating must be in excess of the supply rail, V_s , while any Zener value can be used when the Zener diode is in parallel with the load.
- At higher voltages, $>280\text{V}$, Zener diodes will have to be series connected, thus the advantage of clamping with just one component is diminished.
- Assuming no resistance in the load, the energy dissipated with the two Zener diode approaches differs. When in parallel with the load, the load energy $\frac{1}{2}LI_m^2$ is dissipated while in the second case, load and supply energy are dissipated in the clamping Zener diode. The extra supply energy, in addition

to $\frac{1}{2}LI_m^2$, dissipated in the Zener diode, is $\frac{1}{2}LI_m^2 V_s / (V_Z - V_s)$. This is derived by recognising that, assuming a purely inductive load, the supply V_s delivers a current I_m which linearly falls to zero over the period given by equation (6.8).

The R - C snubbing circuit shown in figure 6.5c is commonly used in power conversion circuits to limit spikes caused by transformer leakage inductance, diode recovery, and interconnection wire inductance. The stored load energy is resonated to the snubber capacitor at switch turn-off. The reset resistor R (non-inductive) must overdamp the L - C - R oscillation by absorbing the transferred energy. The resistor also limits the snubber capacitor charging current to V_s/R at switch turn-on. For a purely inductive load, the snubber resistor power losses are given by the sum of the turn-off and turn-on losses, that is

$$P = (\frac{1}{2}LI_m^2 + \frac{1}{2}CV_s^2) f_s \quad (\text{W})$$

Figure 6.5d shows a capacitive voltage clamp used to soft clamp the switch voltage overshoot caused by the inductive energy stored in the load. The capacitor retains a charge of at least V_s . At switch turn-off, when the switch voltage reaches the capacitor (supply V_s) voltage level, the inductive stored load energy is transferred to the capacitor and concurrently, the capacitor discharges the energy in excess of V_s into the supply. When the capacitor is over charging, energy is taken from both the load inductance and the supply. When the capacitor discharges through the resistor back into the supply, the earlier energy taken from the supply is returned. The net effect is that only the energy $\frac{1}{2}LI_m^2$ is dissipated in the resistor. A low inductance reset resistor is not necessary. This capacitive soft voltage clamp is analysed further in chapter 8.2.

Example 6.3: Zener diode, switch voltage clamping

A reed relay coil of 1 mH inductance is switched at 20 kHz with a 20 per cent on-time duty cycle, across a 100 V dc rail. The energy stored in the coil at turn-off is dissipated in a 25 V Zener diode connected as shown in figure 6.5a.

- i. Sketch the coil current and voltage, and the switch voltage waveforms.
- ii. What is the average coil voltage?
- iii. What Zener diode voltage is required for the circuit in figure 6.5b so as to produce the same coil current waveform as in figure 6.5a using a 25 V Zener diode?
- iv. For each circuit calculate the power requirement of the Zener diode and the average power delivered from the 100 V supply.
- v. Calculate the minimum resistance that replaces the Zener diode in figure 6.5a if the coil is to be switched on with almost zero current. Draw the coil current and switch voltage waveform, showing the switch peak voltage at turn-off.
- vi. Discuss the relative features of each voltage clamping approach.

Solution

The three voltage clamping circuits being considered are shown in figure 6.6a.

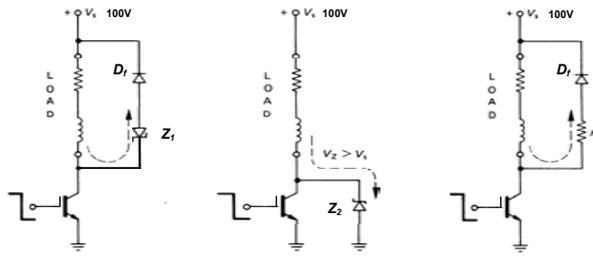


Figure 6.6a. Three inductive load clamping circuits.

- i. With a 20kHz switching frequency, the coil current rises and falls every 50μs, with an on-state duty cycle representing 10μs for the current to increase in the coil and 40μs for the current reset decay to reach zero.

From $V=Ldi/dt$, in steady-state, with zero coil resistance and initial current, the peak coil current is $I = V_s t/L = 100V \times 10\mu s / 1mH = 1A$. Thus the coil current rises linearly from zero to 1A in 10 μs. During reset, the coil current waveform depends on the reset circuit. For Zener diode (constant voltage) reset, the current falls linearly, with a resistor it decays with an L/R exponential time constant, as shown in figure 6.6b for each case.

The various circuit voltage and current waveforms are shown in figure 6.6b, where data derived from the rest of this example has been incorporated.

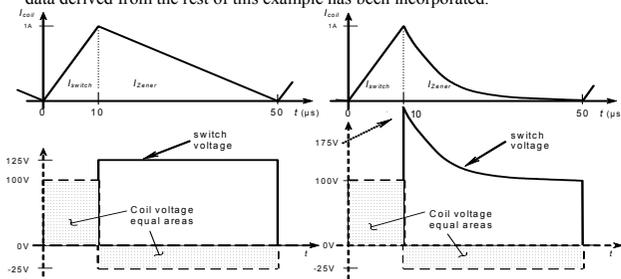


Figure 6.6b. Coil voltage and current waveforms.

- ii. From $V=Ldi/dt$, for a steady-state continuous waveform, $\int V_L(t)dt = 0$, thus $1/T \int v(t)dt = V_{ave} = 0$, as shown on the coil voltage waveform.
 iii. The parallel Zener diode requirement is $V_{Z2} = 125V = V_s + V_{Z1} = 100V + 25V$.

- iv. Zener diode V_{Z1} in the reset circuit:

The energy $\frac{1}{2}LI^2$ is transferred from the coil to the Zener diode when the switch is turned off. The power dissipated in the Zener diode at 20kHz is therefore $\frac{1}{2}LI^2 f_s = \frac{1}{2} \times 1mH \times 1A^2 \times 20kHz = 10W$. The total power drawn from the supply is the power stored by the coil during the 10μs on-time, 10W.

- Zener diode V_{Z2} in the reset circuit:

When the coil releases its stored energy (10W) into the Zener, current is also drawn from the supply. The total average power delivered by the supply over the 50μs period is given by $V_s I_{ave} = \frac{1}{2} \times 100V \times 1A = 50W$. This comprises $\frac{1}{2}LI^2$ (10W) from the supply into the coil when the switch is on for 10 μs, and the remainder (40W) into the Zener diode (plus the coil energy, 10W), when the switch is off for 40 μs.

- v. When a resistor is used in the reset circuit, the current decays exponentially from 1A to 0A. The resistance determines the peak switch voltage. The resistance does not affect the amount of energy dissipated, only the period over which the coil energy is released, dissipated as heat. Assume the coil current to be near zero after three L/R time constants, that is $3L/R=40\mu s$. For $L = 1mH$, this gives $R = 75\Omega$, with a power dissipation rating of 10W from part iv. Use an 82Ω (preferred value), 15W metal oxide resistor for low inductance.
 vi. A Zener diode approach gives a fixed over-voltage on the switch, independent of current or stored energy. When clamping is in parallel with the switch, only one clamping element is needed, but its power requirement is significantly higher than when the clamp is in parallel to the load. Any resistive element must have low inductance. This is restrictive given the power levels involved, and may result in only wire wound elements being viable.

By far the most common technique used to limit inductive switch-off voltage spikes in power circuits involves the use of a freewheel diode without R_{opt} , as shown in figure 6.5a and 6.7a. Typical switching waveforms for an inductive load clamped by a freewheel diode are shown in figure 6.7.

- At turn-off, the switching device conducts the full load current as the collector voltage rises to the supply rail. When the collector voltage reaches the supply rail level the freewheel diode becomes forward-biased and begins to conduct. The switch current then falls to zero. The freewheel diode conducts the load current.
- At switch turn-on, assuming the diode is still freewheeling load current, the switch current increases, displacing freewheeling diode current, while the load is clamped to the rail voltage by the conducting freewheel diode. When the switch conducts the full load current and the freewheel diode has recovered, the switch voltage falls to the low on-state level.

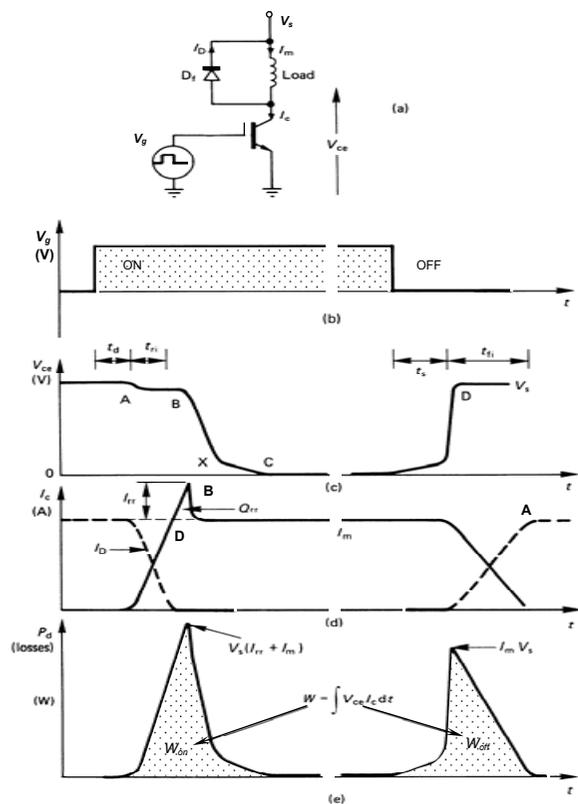


Figure 6.7. Inductive load switching waveforms: (a) the circuit including the freewheel diode D_1 ; (b) on-off gate drive voltage; (c) collector-to-emitter voltage; (d) collector and freewheel diode current; and (e) switch instantaneous power losses.

It will be seen in figure 6.7 that during both turn-on and turn-off the switch must support instantaneously a maximum voltage, V_s , and full load current, I_m , condition. These severe electrical conditions are shown on the SOA characteristics in figure 6.8. In switching on from the operating point A to C, a maximum voltage and current condition occurs at point D. Because of freewheel diode current reverse recovery effects at turn-on, an SOA trajectory point B is reached. At turn-off, due to stray inductance, voltage overshoot occurs and the point E is reached. By comparison with figure 6.2, it is seen that power losses during the switching intervals are higher for an inductive load than a resistive load.

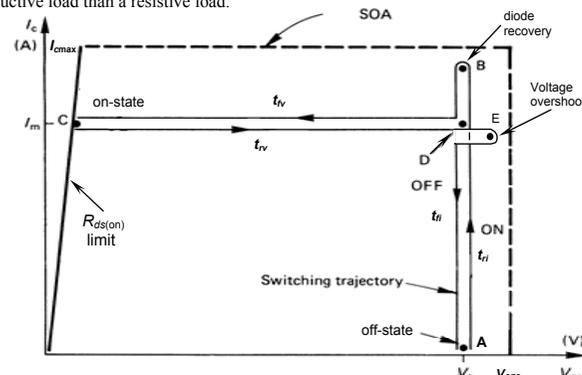


Figure 6.8. I-V characteristics for an IGBT showing its safe operating area and switching trajectory for an inductive load.

Switching losses can be calculated by using linear approximations to the switching transitions. It can be assumed that a silicon carbide Schottky freewheel diode is employed so as to allow reverse recovery effects to be neglected. Figure 6.9 shows the linearised switching waveforms for an inductive load, where maximum voltage V_s and current I_m occur simultaneously during both turn-on and turn-off. The equations for the collector voltage and current at turn-on and turn-off are shown in figure 6.9.

The turn-on switching interval loss is given by the time integral over the current rise period plus the voltage fall period,

$$W_{on} = \int_0^{t_{ri}} V_s I_m \frac{t}{t_{ri}} dt + \int_0^{t_{fv}} V_s (1 - \frac{t}{t_{fv}}) I_m dt \tag{6.9}$$

$$= \frac{1}{2} V_s I_m t_{on} \tag{J}$$

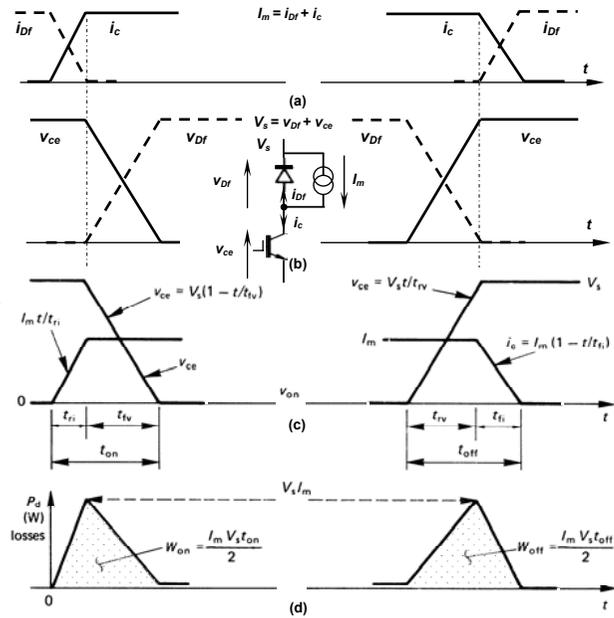


Figure 6.9. Linear approximations of transistor switching intervals for an inductive load: (a) Kirchhoff's current law $I_m = i_{Dr} + i_c$; (b) Kirchhoff's voltage law $V_s = v_{Dr} + v_{ce}$; (c) collector voltage and current waveforms with switching parameters defined; and (d) corresponding switching losses.

where $t_{on} = t_{ri} + t_{rv}$, as shown in figure 6.9. The current rise time at turn-on is termed t_{ri} , while the switch voltage fall time at turn-on is termed t_{rv} .

Similarly, the turn-off loss is given by

$$W_{off} = \int_0^{t_{fo}} V_s \frac{t}{t_{fo}} I_m dt + \int_0^{t_{fo}} V_s I_m (1 - \frac{t}{t_{fo}}) dt \tag{6.10}$$

$$= \frac{1}{2} V_s I_m t_{off} \tag{J}$$

where $t_{off} = t_{rv} + t_{fp}$, as shown in figure 6.9. The switch voltage rise time at turn-off is termed t_{rv} , while its current fall time is termed t_{fp} .

Comparison of switching losses for a resistive load, equations (6.3) and (6.4), and an inductive load, equations (6.9) and (6.10), shows that inductive switching losses are three times those for the resistive load case. The peak power experienced by the switch during switching of an inductive load, $V_s I_m$, is four times greater than that experienced with a resistive load, $\frac{1}{4} V_s I_m$. As for the resistive load switching circuit, actual switch losses with an inductive load are higher than those predicted by equations (6.9) and (6.10). The effects of current tailing, voltage over-shoot, and freewheel diode reverse recovery can produce losses of the same order as those predicted for theoretical switching by equations (6.3), (6.4), (6.9), and (6.10).

Example 6.4: Inductive load switching losses

A MOSFET switches a 10A 100V highly inductive load.

Calculate the worst case switch losses if the switch on time is $t_{on} = 1\mu s$, switch off time is $t_{off} = 2\mu s$, and the MOSFET channel on-state resistance is 0.2Ω .

Calculate the maximum instantaneous power dissipation in the switch, and when it occurs.

Solution

Maximum switch losses occur when the duty cycle approaches one ($\delta \rightarrow 1$) such that both turn-on and turn-off still occur.

The total switch losses P_T are made up of three components

$$P_T = \text{on-state loss} + \text{loss at switch-on} + \text{loss at switch-off}$$

$$P_T = \delta \times I_c^2 \times R_{ds(on)} + \frac{1}{2} V_s I_c t_{on} f_s + \frac{1}{2} V_s I_c t_{off} f_s$$

$$= 1 \times 10^2 \times 0.2\Omega + \frac{1}{2} \times 100V \times 10A \times 1\mu s \times 10kHz + \frac{1}{2} \times 100V \times 10A \times 2\mu s \times 10kHz$$

$$= 20W + 5W + 10W$$

$$= 25W$$

Since the off-state leakage current and gate power losses are not specified, it is assumed these are insignificant. The switching loss calculations should use a voltage of 98V, rather than 100V, since $(10A \times 0.2\Omega) 2V$ is dropped across the channel resistance of the MOSFET. The percentage error is small, and becomes insignificant at higher voltages.

Maximum switch loss occurs half-way through the switching period, when the current is 10A and the drain voltage is 50V. That is, the maximum instantaneous loss is $10A \times 50V = 500W$, $(\frac{1}{4} \times I_c \times V_s)$.



6.1.3 Diode reverse recovery with an inductive load

When a diode conducts the pn region accumulates charge. When the diode turns off and the current falls to zero, the junction retains charge that must recovery before diode reverse voltage can be supported. Negative diode current flows. This phenomenon was considered in chapter 4.2.2 and is shown in figure 6.10. The maximum collector current at turn-on is increased above the load current level I_m by the reverse recovery current I_{rr} . The diode begins to support reverse voltage once the peak reverse recovery current is reached. As a consequence the turn-on losses are increased as shown in figure 6.10c.

The circuit current at peak recovery has a discontinuous derivative, and as a consequence, high circuit voltages are induced across circuit stray inductance due to $v = Ldi/dt$. High-frequency voltage ringing occurs as the stored energy in the stray inductance is dissipated and reverse voltages far in excess of V_s are experienced by the recovering diode.

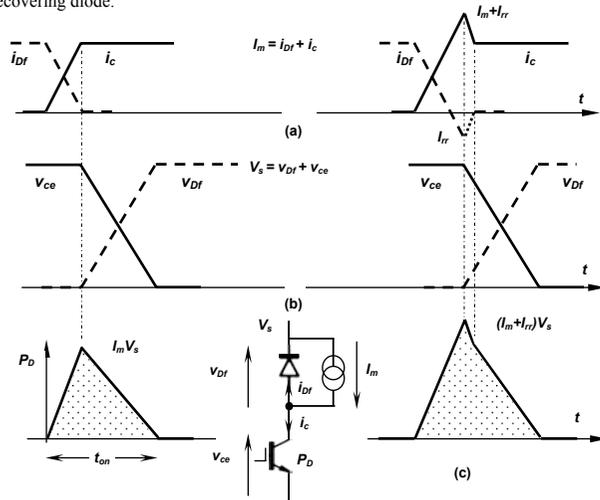


Figure 6.10. Linear approximations of transistor switching turn-on interval for an inductive load showing freewheel diode reverse recovery effects on the right: (a) Kirchhoff's current law $I_m = I_{dr} + I_c$; (b) Kirchhoff's voltage law $V_s = V_{dr} + V_{ce}$; and (d) corresponding switching losses.

6.2 Switch characteristics

Having considered the switching of inductive and resistive loads, the following are the electrical and thermal characteristics desirable of commutable switching devices:

off-state:

- Low, temperature independent leakage current in the off-state, to minimise off-state power loss.
- High forward and reverse voltage blocking ratings to reduce the need for series connection, which would otherwise complicate control and protection circuitry requirements. Series connection increase the on-state voltage, hence on-state loss. When a diode is used in antiparallel across the switch to allow reverse principal current flow, the switch does not require a significant reverse voltage blocking rating.
- High static off-state avalanche capability to absorb transient overvoltage stresses
- High static and re-applied dv/dt capability to withstand high applied off-state voltages without avalanche or false turn-on

on-state:

- Low on-state conducting voltage or low on-state resistance, in order to minimise on-state conduction power loss: with a slight positive temperature co-efficient to allow reliable parallel device connection.
- High on-state current density so as to avoid need for and problems associated with parallel device current sharing and differential thermal coefficients.

switching:

- Low control power to switch between states.
- Short, temperature independent, turn-on and turn-off times to result in low switching losses which will allow high frequency switching.
- High initial di/dt at turn-on to allow rapid low loss build-up of turn-on principal current.
- High surge current capability to withstand transient over current fault condition, resulting in better fault tolerance and nuisance tripping ride through.
- Large switching safe operating area, being able to simultaneously support rated voltage and rated current, without the need for snubber circuits across the switch.

thermal:

- Low thermal resistance and impedance for efficient heat removal.

6.3 Switching classification

There are four principal I - V switching conditions during the commutation of a switch current, viz.

- Hard switching
- Soft switching
- Resonant switching and
- Naturally-commutated switching.

These four possibilities are classified in terms of the *switching time* t_s and the *commutation time* t_q , where $t_q \leq t_s$. Figure 6.11 shows the four cases and specifies the switching and commutation times for each.

- *Switching time* t_s is the time for a switch to change from fully on ($v=0, i=I_L$) to fully off ($v=V_s, i=0$), such that no further change occurs in the switch voltage or current due to the change of state.
- *Commutation time* t_q is associated with the external circuitry and is defined as the time the switch takes to reach zero current at turn-off or to reach zero volts at turn-on. Alternatively, commutation time is the period of power loss at turn-on or turn-off, due to the switch changing states.

Generally, the switch loss magnitude for a given set of electrical and thermal operating conditions, decrease when progressing from severe hard switching through to virtually lossless naturally-commutated switching.

6.3.1 Hard switching

The turn-on and turn-off switching waveforms in figure 6.11a show that hard switching is characterised by $t_q = t_s$. The resistive and inductive switching considered in sections 6.1.1 and 6.1.2 are examples of hard switching. In figure 6.4 for a resistive load, the switching periods t_{on} and t_{off} correspond to the period of switch losses during each state transition. In figure 6.9 for the inductive load, the t_q periods correspond to the power loss periods at switching ($t_{rv}+t_{\beta}$ and $t_{\beta}+t_{ri}$).

6.3.2 Soft switching

Figure 6.11b shows typical soft-switching waveforms for turn-on and turn-off. The switching losses are complete before the switch has reached its final steady-state condition. That is, $t_s > t_q$ such that the periods t_s and t_q both start at the same time.

At turn-on, the switch voltage reaches zero before the switch current reaches the steady-state full-load value I_L . Once the switch voltage reaches zero, the rising current no longer results in a power loss. This I - V characteristic at turn-on is a form of *zero current switching*, ZCS.

The inverse occurs at turn-off. The switch current reaches zero before the switch voltage has settled at the supply voltage level V_s . This is a form of *zero voltage switching*, ZVS.

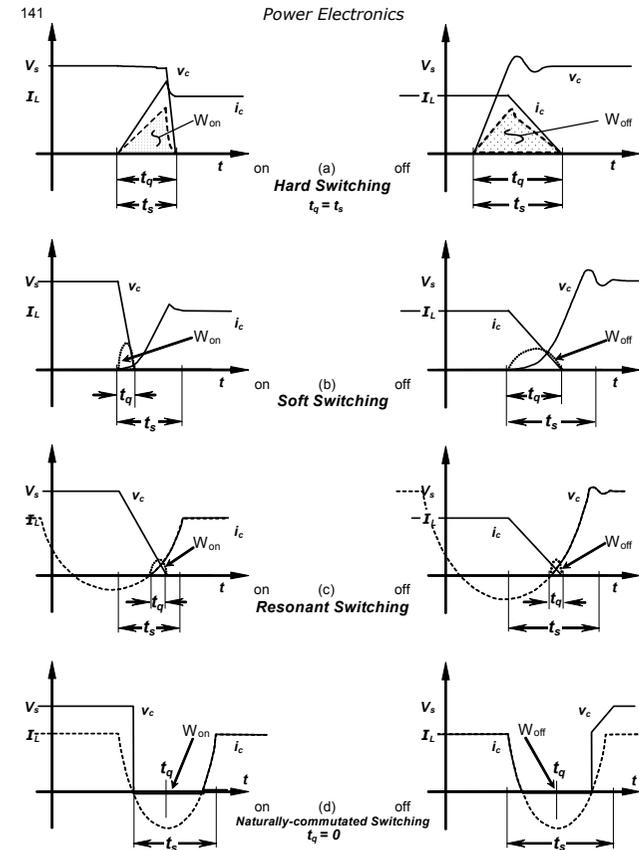


Figure 6.11. Switch voltage (v_c), current (i_c), and power loss (W_{on} and W_{off}) of four switching classifications: (a) hard switching; (b) soft switching; (c) resonant switching; and (d) naturally-commutated switching.

Soft-switching results when auxiliary circuits, called snubber circuits, are used, as will be considered in chapters eight and nine.

6.3.3 Resonant switching

Resonant-switching waveforms at turn-on and turn-off are shown in figure 6.11c, with switching periods t_s shown. Resonant switching occurs if the switching period is associated with either the switch voltage or current being zero, due to external load circuit conditions. That is $t_s > t_q$.

Switching of the voltage when the switch current is zero, usually at turn-on, is called *zero current resonant switching*, ZCRS, while commutating the current while the switch voltage is zero, usually at turn-off, is called *zero voltage resonant switching*, ZVRS. Because the exact instant of zero may vary, being load circuit dependant, some control restriction is inevitable. Zero voltage or current switching can be readily attained with ac mains converter circuits since switching can be synchronised with supply zero voltage crossing, or zero current when the load current reverses due to the supply voltage reversal.

6.3.4 Naturally-commutated switching

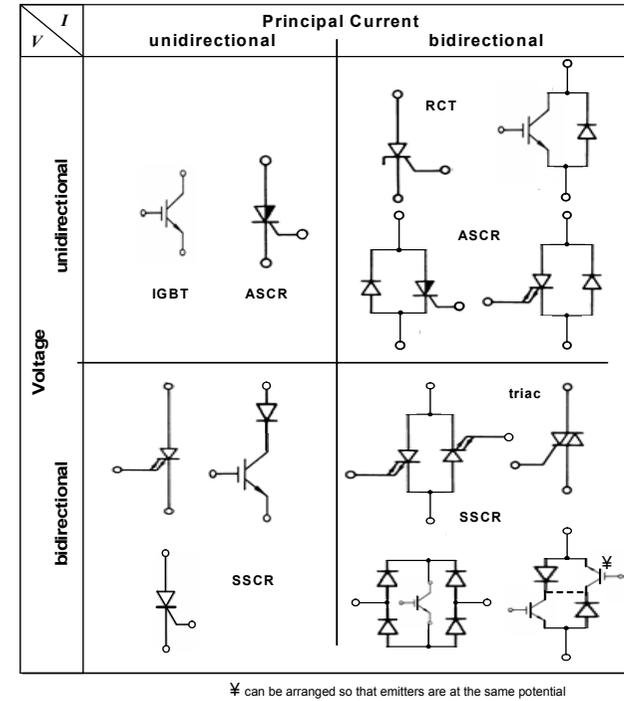
Figure 6.11d shows switching when the voltage and current are both zero, called *naturally-commutated switching*. This was a commonly used technique for force turn-off of thyristors before the advent of the GTO thyristor. Current from an auxiliary commutation circuit displaces the device principal current and reverse biases the device, at turn-off. The method was not used at turn-on. Commutated turn-on and turn-off occurs in inverter circuits where the switch has an anti-parallel connected diode. When the diode conducts and the switch is on but not conducting, if the load power factor causes the current to reverse, then the main switch automatically starts conducting with the switch voltage at zero because the diode was previously conducting, clamping the switch voltage slightly negative.

Naturally-commutated switching occurs for ac mains zero crossing switching, with a purely resistive load such that the load V and I are in phase. Switching losses are virtually zero.

6.4 Switch configurations

Most semiconductor switches are unipolar, that is, allow current and/or voltage to be supported in one direction. The MOSFET allows uncontrolled reverse current flow, hence can not support reverse voltage because of its parasitic body diode. Some structures, like the RCT considered in chapter 3.3.3, integrate an anti-parallel diode with a thyristor. Generally, such integrated approaches sacrifice some electrical characteristics. Many applications require a bi-directional current and/or bi-directional supporting voltage switches, so the basic switches can be configured as shown in figure 6.12, to give the necessary I - V characteristics. The net effect of the bi-directional

voltage arrangements is good dynamic electrical characteristics but poor static characteristics. Specifically, the switching performance is as for the principal switch but the on-state loss is that of two series connected devices. In the case of the bidirectional blocking thyristor, the on-state voltage is increased slightly because an n-buffer can not used in its fabrication. The bi-direction conducting thyristor discussed in chapter 3.3.4 attempts to minimise the sacrificed on-state voltage limitation.



⚡ can be arranged so that emitters are at the same potential

Figure 6.12. Switch configurations for uni-directional and bi-directional I - V characteristics.

Reading list

Peter, J. M., *The Power Transistor in its Environment*, Thomson-CSF, Sescosem, 1978.

Problems

6.1. During turn-on and turn-off of a power transistor the current-voltage relationships are as shown in figure 6.13. Calculate the energy loss during both turn-on and turn-off periods and the mean power loss if the transistor is being switched at a frequency of 10 kHz. What is the maximum instantaneous power dissipated?
[1.66 mJ, 16.6 mJ, 183 W, 5kW]

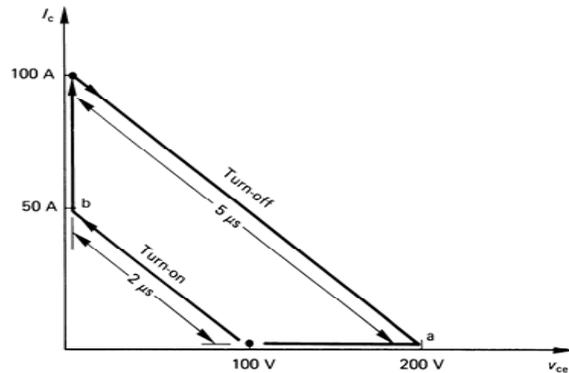


Figure 6.13.

6.2. The equivalent circuit in figure 2.4a involving parameters E_o and R_o can be extended to model a thyristor by replacing the ideal diode by an ideal thyristor. Derive general expressions for the thyristor mean power loss P_d and rms current i_o with a constant load current I_o and switch on-time duty cycle δ .
If $E_o = 1$ V and $R_o = 0.01$ Ohms, for $I_o = 50$ A and a 25 per cent on-time duty cycle, calculate the thyristor:

- On-state voltage, V_F
- Mean power, P_d
- rms current, i_o .

[See example 2.1: 1.5 V, 18.75 W, 25 A]

- 6.3. If the collector voltage at turn-on falls according to
 $v_c = \frac{1}{2}V_s(1 + \cos \pi t/T_o)$ for $0 \leq t \leq T_o$
- For a resistive load, R_L , calculate transistor loss at turn-off.
 - Show that the switching trajectory across the SOA is as for the linear current fall case.
 - Calculate the peak power dissipation and when it occurs.
- 6.4. A transistor is used to switch an inductive load with a current of I_m . At transistor turn-off, the collector voltage rises to the supply rail V_s according to
 $v_{ce} = \frac{1}{2}V_s(1 - \cos \pi t/T_{ov})$ for $t \leq T_{ov}$,
 then the collector current falls according to
 $i_c = \frac{1}{2}I_m(1 + \cos \pi t/T_{of})$ for $t \leq T_{of}$.
 Using the same integration form as in equation (6.10), show that the turn-off loss is
 $P = \frac{1}{2}V_s I_m T_o$ where $T_o = T_{ov} + T_{of}$.